ALIRAN MELALUI LUBANG PELUAP

Koefisien kontraksi (*Cc*) Koefisien Kecepatan (*Cv*) Koefisien debit (*Cd*)

Berdasarkan persamaan Bernoulli

•
$$C_c = \frac{a_c}{a}$$

• $C_v = \frac{V}{V_1}$

•
$$C_d = \frac{Q}{Q_1} = C_v C_c$$

- *a_c* = luas penampang (pada vena kontrakta)
- a = luas penampang lubang
- V = kec.riil (pada vena kontrakta)
- $V_t = \text{kec.teoritis}$
- Q = debit riil
- Q_t = debit teoritis

persamaan Bernoulli

Hukum Statika yang telah kita pelajari tidak dapat menyelesaikan Masalah Dinamis. Tidak ada cara untuk memecahkan laju alir, atau T. Oleh karena itu, kita memerlukan pendekatan dinamis baru untuk Mekanika Cair



Pipe Flow and the Energy Equation

For pipe flow, the Bernoulli equation alone is not sufficient. Friction loss along the pipe, and momentum loss through diameter changes and corners take head (energy) out of a system that theoretically conserves energy. Therefore, to correctly calculate the flow and pressures in pipe systems, the Bernoulli Equation must be modified.

 $P_{1}/\gamma + V_{1}^{2}/2g + z_{1} =$ $P_{2}/\gamma + V_{2}^{2}/2g + z_{2} + H_{maj} + H_{min}$



Major Losses

Major losses occur over the entire pipe, as the friction of the fluid over the pipe walls removes energy from the system. Each type of pipe as a friction factor, **f**, associated with it.

 $H_{maj} = f (L/D)(V2/2g)$



Minor Losses

Unlike major losses, minor losses do not occur over the length of the pipe, but only at points of momentum loss. Since Minor losses occur at unique points along a pipe, to find the total minor loss throughout a pipe, sum all of the minor losses along the pipe. Each type of bend, or narrowing has a loss coefficient, K_L to go with it.



Major and Minor Losses

Major Losses:

 $H_{maj} = f (L/D)(V2/2g)$

f = friction factor L = pipe length D = pipe diameter V = Velocity g = gravity

Minor Losses: $H_{min} = K_L(V^2/2g)$

 $K_1 = sum of loss coefficients V = Velocity g = gravity$

When solving problems, the loss terms are added to the system at the second analysis point

 $P_{1}/\gamma + V_{1}^{2}/2g + z_{1} = P_{2}/\gamma + V_{2}^{2}/2g + z_{2} + H_{maj} + H_{min}$

Loss Coefficients

Description	Sketch	Addition- al Data	ĸ		Source
		r/d	κ,		(1)
Pipe entrance		0.0	0	50	
in the contrained		0.1	0.12		
$h_L = K_V^2/2g$		>0.2	0.03		
Contraction		D2/D1	$\begin{array}{c} K_{C} \\ \theta = 60^{\circ} \end{array}$	$\begin{array}{c} \kappa_c\\ \theta = 180 \end{array}$	(1)
	Ъ	0.0	0.08	0.50	
		0.20	0.08	0.49	
		0.40	0.07	0.42	
		0.60	0.06	0.32	
$k = K \sqrt{2}/2$		0.80	0.05	0.18	
$\frac{n_l - K_l V_2^2/2g}{2}$		0.90	0.04	0.10	
Expansion	· ·	D_{1}/D_{2}	$\begin{array}{c} K_{B} \\ \theta = 10^{\circ} \end{array}$	$\begin{array}{c} K_E\\ \theta = 180^{\bullet} \end{array}$	(1)
		0.0		1.00	
		0.20	0.13	0.92	
	+ + +	0.40	0.11	0.72	
		0.60	0.06	0.42	
$h_L = K_E V_1^2 / 2g$		0.80	0.03	0.16	
90° miter bend		Without vanes	$K_b = 1.1$		(26)
	1	With vanes	K, =	0.2	(26)
		r/d			(3)
90° smooth bend		1	K . =	0.35	and
	- 10 ->.)	2	n., -	0.19	(13)
	(X^{\prime})	4		0.16	
		6		0.21	
	1.1	8		0.28	
		10		0.32	
Threaded	Globe valve-wide open		K, -	10.0	(26)
	Angle valve-wide open		K	5.0	
pipe	Gate valve — wide open		K, -	0.2	
fittings	Date valve — nair open		× -	3.0	
	Tee		K	1.8	
	90° elbow		K. =	0.9	
	45° elbow		K	0.4	



If oil flows from the upper to lower reservoir at a velocity of 1.58 m/s in the D= 15 cm smooth pipe, what is the elevation of the oil surface in the upper reservoir?

Include major losses along the pipe, and the minor losses associated with the entrance, the two bends, and the outlet.



Apply Bernoulli's equation between points 1 and 2: Assumptions: $P_1 = P_2 = Atmospheric = 0$ $V_1 = V_2 = 0$ (large tank) $0 + 0 + Z_1 = 0 + 0 + 130m + H_{maj} + H_{min}$ $H_{maj} = (f L V^2)/(D 2g) = (.035 \times 197m * (1.58m/s)^2)/(.15 \times 2 \times 9.8m/s^2)$ $H_{maj} = 5.85m$



 $\begin{array}{l} 0+0+Z_{1}=0+0+130\mathrm{m}+5.85\mathrm{m}+\mathrm{H}_{\mathrm{min}}\\\\ \mathrm{H}_{\mathrm{min}}=2\mathrm{K}_{\mathrm{bend}}\mathrm{V}^{2}/2\mathrm{g}+\mathrm{K}_{\mathrm{ent}}\mathrm{V}^{2}/2\mathrm{g}+\mathrm{K}_{\mathrm{out}}\mathrm{V}^{2}/2\mathrm{g}\\\\ \mathrm{From\ Loss\ Coefficient\ table:\ K_{\mathrm{bend}}=0.19\ \mathrm{K}_{\mathrm{ent}}=0.5\quad\mathrm{K}_{\mathrm{out}}=1\\\\ \mathrm{H}_{\mathrm{min}}=(0.19\mathrm{x}2+0.5+1)*(1.58^{2}/2^{*}9.8)\end{array}$

 $H_{min} = 0.24 \text{ m}$



 $\overline{0 + 0 + Z_1} = \overline{0 + 0 + 130m} + H_{maj} + H_{min}$ $0 + 0 + Z_1 = 0 + 0 + 130m + 5.85m + 0.24m$ $Z_1 = 136.1 \text{ meters}$